

Unique Paper Code : 32341602
Name of the Paper : Computer Graphics
Name of the Course : B.Sc. (H) Computer Sc.
Semester : VI

Duration: 3 Hours

Maximum Marks: 75 Marks

Attempt any four questions.
All questions carry equal marks.
The complete answer to a question MUST be included in a SINGLE file.

Q1)

What do you understand by the statement: **aspect ratio** = $\frac{3}{4}$ for a video monitor?

Consider two raster systems with resolutions **640×480** and **1280×1024**. How many pixels could be accessed in one second in each of these systems by a display controller that refreshes the screen at a rate of **60** frames per second? For each system, give the access time per pixel. Which of the above systems has better resolution? Justify your answer.

Q2)

Consider the triangle **ABC** with the following coordinates **A[2 6 1]**, **B[4 9 1]**, **C[4 9 1]**. Also consider a pair of lines **L** and **M** defined as: **L: $y=1/2*(x+5)$** and **M: $x-y=0$** . Using homogeneous coordinates, reflect the triangle **ABC** w.r.t. the line **L** and find the new coordinates. Next, rotate the transformed triangle by 90 degrees about the point of intersection **Q** of the lines **L** and **M**.

Q3)

Differentiate between Gouraud shading and normal vector interpolation shading. What is specular reflection in normal vector interpolation shading? What is the value of specular reflection parameter n_s for (i) dull surfaces and (ii) perfect reflectors?

How many different colour combinations can be generated using halftone approximations on a two-level RGB system with a **3×3** pixel grid?

Q4)

Consider the rectangular window **ABCD** and triangle **XYZ** with the following coordinates: **A(4, 1)**, **B(12, 1)**, **C(12, 7)**, **D(4, 7)** and **X(8, 3)**, **Y(14, 4)**, **Z(12, 6)**. Clip the given triangle **XYZ** against the above rectangular window **ABCD** using the Sutherland Hodgman algorithm.

Also, clip the original triangle **XYZ** against the given rectangular window **ABCD** using Cohen Sutherland line clipping algorithm. While scan- converting the coordinates of an ellipse, what condition is tested to switch from region 1 to region 2.

Q5)

Distinguish between *orthographic* and *oblique* parallel projections. Consider a unit cube with centre as origin and position vectors as given below:

$(-0.5, -0.5, 0.5)$, $(0.5, -0.5, 0.5)$, $(0.5, 0.5, 0.5)$, $(-0.5, 0.5, 0.5)$, $(-0.5, -0.5, -0.5)$, $(0.5, -0.5, -0.5)$, $(0.5, 0.5, -0.5)$, $(-0.5, 0.5, -0.5)$.

Translate the cube 5 units both in **X** and **Y** directions. Then perform single-point perspective projection on to the **Z=0** plane from a centre of projection at **Zc=10**. Also, calculate the vanishing point.

Q6)

Give one advantage and one disadvantage of the Z-buffer algorithm for visual surface determination.

Consider the equation of the given plane as $4x + 6y + 2z + 1 = 0$. Using incremental calculations, find the Z value at next pixel location $(x + 1, y)$ and at next scan line location $(x, y + 1)$.

Derive the Basis Matrix for Hermite curves. Also, obtain its blending functions. Find the equation of the Hermite curve that passes through the starting point $(0, 1)$ and endpoint $(4, 2)$.